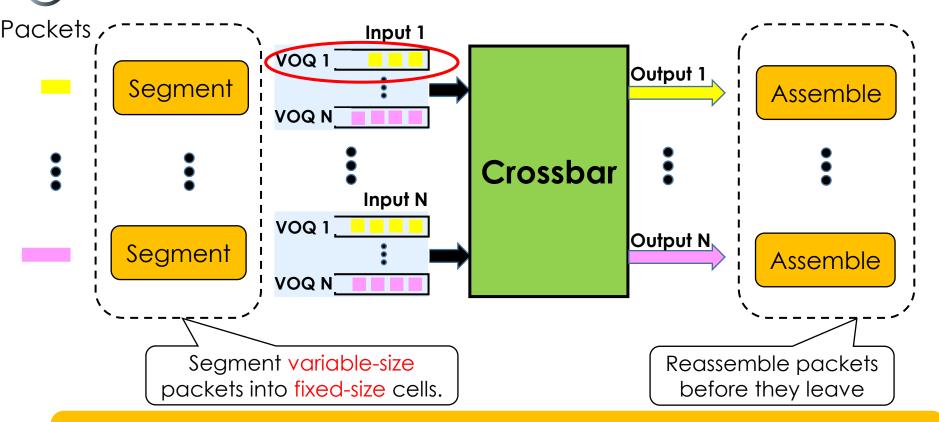
Sliding-Window QPS (SW-QPS): A Perfect Parallel Iterative Switching Algorithm for Input-Queued Switches

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Input-Queued Crossbar Switches

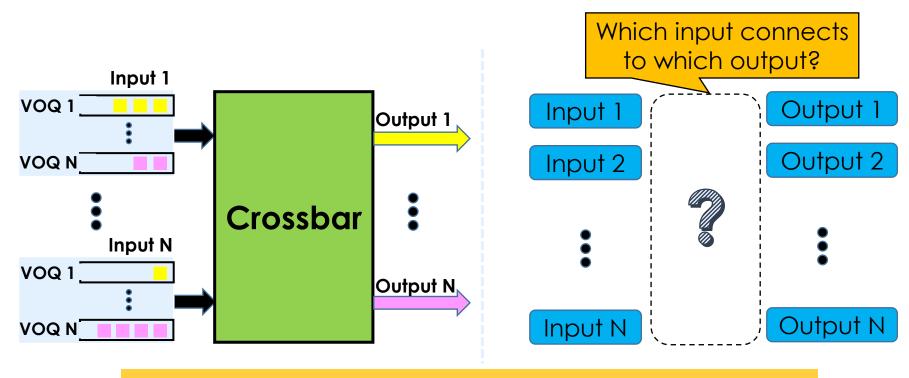


All the (input/output) ports and the crossbar operate at the same speed;This speed is normalized at 1.

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Crossbar Scheduling: Constraint



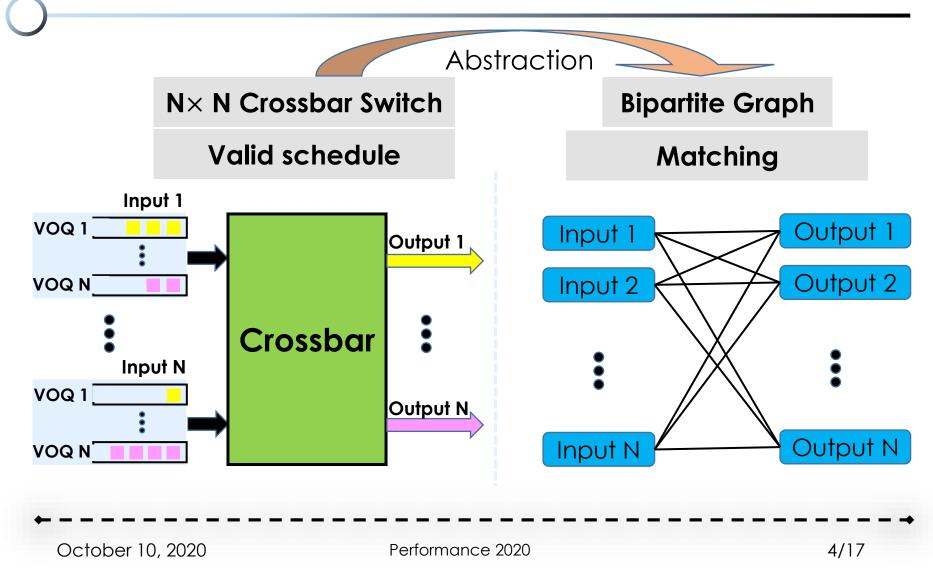
During each switching cycle, or time slot

- Each input can only connect to a single output
- Each output can only be connected by a single input

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Crossbar Scheduling: Model



Crossbar Scheduling: Formulation

objective: matching

- maximize throughput
- minimize (mean) delay

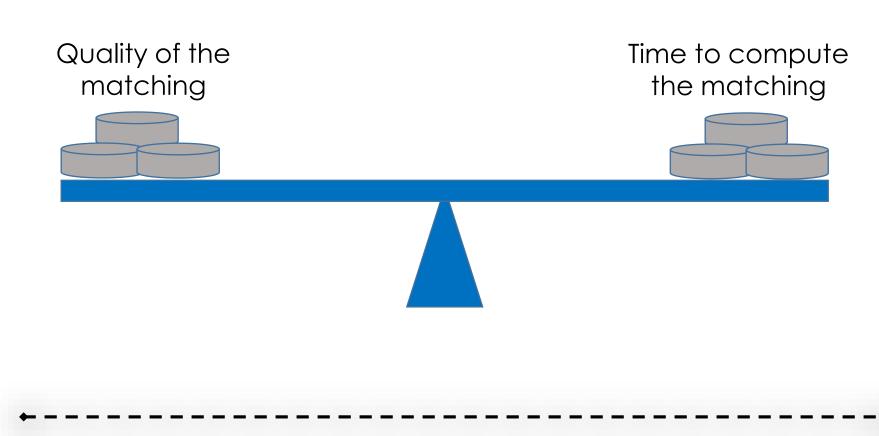
strict timing constraint

StrataXGS Tomahawk 4 has 256 ports with 100Gbps line rate. Supposing cell sizes are 128 bytes, one (256x256) matching is required every 10ns.

Implementation Constraint:

The algorithm should be simple to implement in hardware.

Crossbar Scheduling: Tradeoff



Existing Research Work: Maximum Weighted Matching

objective maximize throughput and minimize delay

no timing constraint

Maximum Weighted Matching (MWM) [McKeown99a]

100% throughput and near-optimal empirical delay

centralized $O(N^{2.5} \log W)$ time

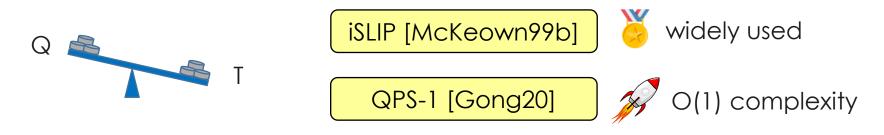




Existing Research Work : Parallel Iterative Schedulers

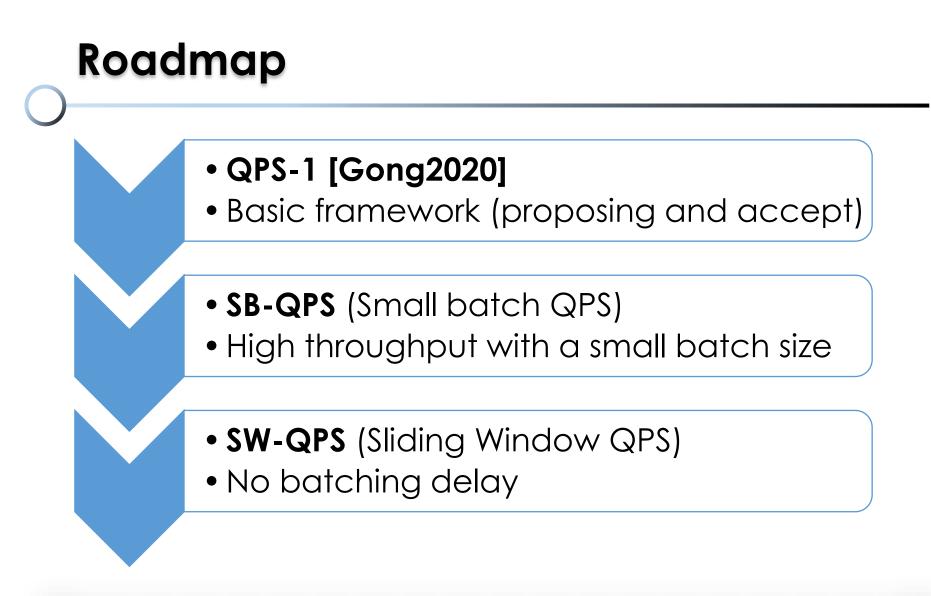
objective maximize throughput and minimize delay

subject to the timing constraint



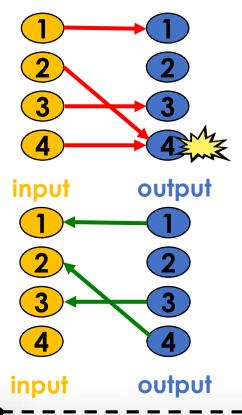
Their throughput and (high load) delay performances are much worse than MWM.





QPS-1 : Propose and Accept

QPS-1 [Gong20] computes each matching in the following two stages:



 Proposing Stage (at input ports)
Each input port samples exactly one output port and proposes to it with the VOQ length.
It uses a O(1)-time sampling algorithm called QPS [Gong17], in which the probability for each output to be sampled is proportional to the corresponding VOQ length.

2. Accepting Stage (at output ports) Each output port accepts exactly one proposal with the longest VOQ length, if there is any.

SB-QPS: High Throughput in Small Batch

- SB-QPS schedules in **batches** (whose size T is small).
- Each batch consists of T matchings/time-slots, which is computed in multiple rounds of proposing and accepting stages. In this work, each batch is computed in T rounds: one round per time slot.
- The proposing stage of SB-QPS is almost the same as in QPS-1. The only difference is each proposal also includes the information concerning the availability of the corresponding input during each of the T time slots in the batch.

SB-QPS: High Throughput in Small Batch

- The accepting stage of SB-QPS attempts to accept all proposals if possible.
- When multiple proposals are received, the output port first sorts them in **descending** order of VOQ lengths and then attempts to accept them one by one on the **first commonly available** time slot (the first time slot in the batch for which both the proposer and the proposee are unmatched).
- For small batch size T = 16, the availability field fits in one machine word, and the first commonly available time slot can be found in **one** instruction.
- Therefore, the time complexity of both stages of SB-QPS is O(1).

SW-QPS: Avoiding the Batching Delay

- SB-QPS pays a nontrivial batching delay of T time slots since it generates a batch of T matchings every T time slots.
- SW-QPS avoids the batching delay by generating one matching during each time slot.
- The only difference between SB-QPS and SW-QPS is when the matchings are generated. The two stages (proposing and accepting) are exactly the same.

SW-QPS: Sliding Window (Animation)

Time slot	t	t+1	t+2	•••	t+T-1	t+T	t+T+1
Output 1				•••			
Output 2							
Output 3							
Output 4							

schedstere dultered en slot +1

Each matching (column) can possibly be filled in T time slots. (the same as in SB-QPS)

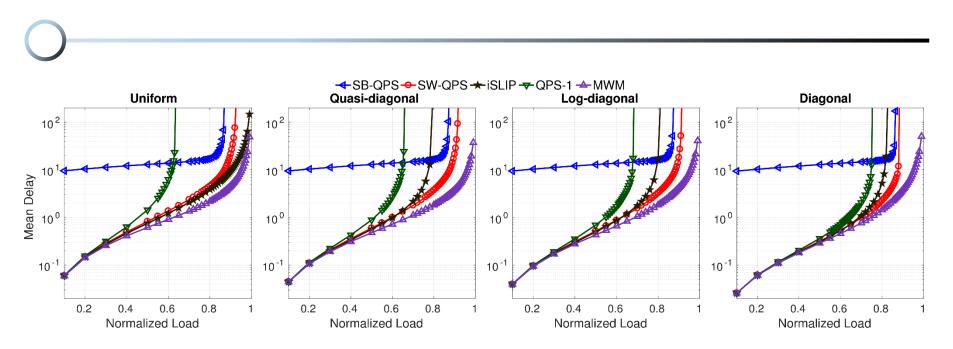
SW-QPS: Empirical Performance

Table 1: Maximum achievable throughput.

Traffic	Uniform	Quasi-diag	Log-diag	Diag	rounds / matching
SB-QPS	86.88%	87.10%	87.31%	86.47%	1
SW-QPS	92.56%	91.71%	91.40%	87.74%] 1
iSLIP	99.56%	80.43%	83.16%	82.96%	O(log N)
QPS-1	63.54%	66.60%	68.78%	75.16%] 1

Assumptions: Independent **Bernoulli** arrival process **N=64** input and output ports, batch size **T=16**

SW-QPS: Empirical Performance



Assumptions: Independent **Bernoulli** arrival process **64** input and output ports, batch size **T=16**

Performance 2020

Conclusion

- We propose **SB-QPS**, a parallel *O*(1) time crossbar scheduler that achieves good performance with a **small batch** size.
- We propose **SW-QPS**, which is based our new **sliding window** switching framework. SW-QPS inherits all the benefits of SB-QPS and reduces the batching delay to zero.
- We show, through simulations, that the throughput and delay performance of SW-QPS are much better than QPS-1, the state-of-the-art bipartite matching algorithm with parallel O(1) running time.

References

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